Comparison of Different Detectors with same Beam

- Background about the Background
- Beam Description
- Description of Detectors
- Baseline Optimization
- A Word about Matter...
- Conclusions

Deborah Harris Fermilab January 18, 2002 Large Detectors for ... Low Energy Neutrinos from High Intensity Sources

#### Backgrounds in Conventional Beams

If signal is  $\nu_{\mu} \rightarrow \nu_{e}$  or  $\bar{\nu}_{\mu} \rightarrow \bar{\nu}_{e}$ :

Intrinsic  $\nu_e$ Contamination

$$K^{\pm} \to \pi^{0} e^{\pm} \nu_{e}(\bar{\nu}_{e})$$
$$\mu^{\pm} \to e^{\pm} \bar{\nu}_{\mu}(\nu_{\mu}) \nu_{e}(\bar{\nu}_{e})$$
$$K_{L} \to \pi^{\pm} e^{\mp} \nu_{e}(\bar{\nu}_{e})$$
Charm  $\to X e^{\pm} \nu_{e}(\bar{\nu}_{e})$ 



 $\pi^0$  production in NC and CC (high y) events



 $\nu_{\tau}$  Charged Current Events Important for  $E_{\nu} > 7GeV$ 

Intrinsic $\nu_e$ Background							
Protons	π Kaons	π,Κ,(μ)	μ,ν				
(1	focus maybe bend)	Let them decay	Shielding (>.2km)				
Beamline	Peak $\nu_{\mu}$ Energy (GeV)	$ \nu_e/ u_\mu $ event ratio	p Energy GeV				
K2K	1.4	0.7%	12				
MINOS LE	3.5	1.2%	120				
MINOS ME	7	0.9%	120				
MINOS HE	15	0.6%	120				
CNGS	17	0.8%	400				
JHF wide	1	0.7%	50				
JHF HE	5	0.9%	50				
MiniBoone	0.5	0.2%	8				
ORLaND	0.0528	0.05?%	1.3				
× 10 <sup>-2</sup>							
0.45 0.45 0.35 0.25 0.25 0.25 0.25 0.15 0.15 0.15 0.15 0.05 0.05 0.1 0.1	K <sup>+</sup> ,μ <sup>+</sup> K <sub>L</sub> Beam Energies from 5 to 17 GeV	0.002 0.004 0.002	K <sup>-</sup> ,μ <sup>-</sup> K <sub>L</sub>				





- fine-grained calorimeter (THESEUS) longitudinal shower development (1/40)
- Water Cerenkov (K2K)  $(10^{-2} \text{ below } 1\text{GeV})$

 $\nu_{\mu} \rightarrow \nu_{\tau}, \tau \rightarrow e$ 

Today's discovery is tomorrow's background...  $BR(\tau \to e(\gamma)\nu_{\tau}\bar{\nu}_{e}) = 0.20, BR(\tau \to n\pi^{0}X\nu_{\tau}) = 0.37,$   $\nu_{\tau}$  flux is  $\propto \sin^{2} 2\theta_{23} \sin^{2}(\delta m_{23}L/E)$  i.e.  $\mathcal{O}(1)...$ Kinematic Handle on  $\tau \to e$ : electron energy



Backgrounds in Conventional Beams Executive Summary								
Dependence on								
Background	Baseline	Detector	Beamline	Rate				
NC/CC $\pi^0$ production	$1/L^{2}$	a lot	some	$10^{-1} \rightarrow 10^{-3}$				
$ \begin{array}{l} \nu_{\mu} \to \nu_{\tau} \\ \tau \to e \end{array} $	flat	some	some	$10^{-1} \rightarrow 0$				
Intrinsic $\nu_e$	$1/L^{2}$	barely	all	$10^{-2} \rightarrow 10^{-3}$				

#### Rules of the game...(for this talk)

First Caveat:

I will only talk about measuring  $\nu_{\mu}$  to  $\nu_{e}$ , without considering a measurement of CP violation or of matter effects.

**Question:** How can we remove these back-grounds?

- intrinsic  $\nu_e$  contamination
- Neutral Current Contamination  $(\pi^0 \text{ mis-identification})$

How well you remove backgrounds depends on your detector...

- Make a really narrow energy neutrino beam -cut on energy
- Make a very clean beam, no "high energy tails"



• Low intrinsic  $\nu_e$  contamination

-0.5% under the peak

- 0.4MW proton source,  $10^{-5}$  duty cycle
- Beamline Design is Complete
- Target, Decay Pipe Region Fully Excavated
- Prototype horn has been pulsed over 2M times
- Will start running by the end of 2004
- $\Rightarrow$  MINOS Off-Axis Beam (1.5mrad)





For 10km off, could be as far as 911m away!

#### And that one isn't even the only one!

Following example from BNL-889 and JHF-SK (D. Beavis et al., BNL No. 52459, April 1995):



#### Neutral Currents On and Off Axis



### Optimize, Optimize, Optimize

Problem: Given a beam flux, the basline where you are the most sensitive depends on:

- Mass of Detector
- $f_s$  Signal efficiency
- $f_b$  Background efficiency
- $\epsilon_b$  Systematic uncertainty on  $f_b$
- $\Delta m^2$  (maybe even the sign)

How is a person to chose?

Argument we've all heard (made?) before:  $\Phi \sim 1/L^2$ ,  $\sin^2(\Delta m^2 L/E) \sim L^2$  -not so fast!



### Detectors to Consider

## **Requirements: Electron Appearance!**

- Good Longitudinal and transverse segmentation
- Good Energy Resolution to remove NC and  $\nu_e$  events
- Particle ID at the  $10^{-2}$  level at least!

Vital Statistics of Detectors: (as defined for this study)

• NC Background "Efficiency"

 $f_{NC} = \frac{\text{NC Events accepted after all cuts}}{\nu_{\mu} \text{ events in energy peak}}$ • Detector Signal Efficiency

 $\epsilon_s = \frac{\text{NC Events accepted after all cuts}}{CC\nu_{\mu}\text{events in energy peak}}$ 

• Mass

Target	Readout	Segment	ho	$\epsilon_s$	$f_{NC}$
MINOS <sup>a</sup>	Scint	$1.4X_0$	$\sim 4$	40%	0.7 %
$\mathrm{Steel}^b$	Scint	$0.25X_{0}$	$\sim 4$	28%	0.15%
$Plastic^{c}$	Glass	$0.5X_{0}$	0.75	35~%	0.1%
Pellets	RPC				
$ICARUS^d$	TPC	a lot	1.4	90%	0.01%
$H_2 O \check{C}^e$	PMT's	n/a	1	24.0%	1.%

#### **References:**

<sup>a</sup> M.Diwan, M.Messier, B.Viren, L.Wai,

NUMI-L-714

- <sup>b</sup> M. Szleper, M.Velasco
- $^{c}$  A. Para
- $^{d}$  M. Campanelli, and ICANOE Proposal
- $^{e}$  D. Casper

# Caveats:

All of above numbers come from geant-based monte carlos studies, but Water Cerenkov monte carlo has many more backgrounds included, also noise, detector inefficiencies, etc, and has been **TUNED WITH REAL DATA!!!** 

### MINOS-type Detector

### NC Background: 0.68%Beam Background\*acceptance= 0.2%Acceptance 40%



Ref: M.Diwan, M.Messier, B.Viren, L.Wai, NUMI-L-714

#### 4.5mm Steel Detector

# NC Background: 0.15%Beam Background\*acceptance= 0.12%Acceptance 28\%



M.Szleper, M.Velasco, Northwestern University

### Recycled Plastic Pellet Detector

# NC Background: 0.11% Beam Background\*acceptance= 0.16% Acceptance 35%



A. Para, Fermilab

### ICARUS Detector

NC Background: 0.05% Beam Background\*acceptance= 0.4% Acceptance 90% Note lower mass!



M.Campanelli, and ICANOE proposal

### Water Cerenkov Detector

# NC Background: 5.6% Beam Background\*acceptance= 0.4% Acceptance 90% Note high mass



Two plots: 1.5% and 5% Systematic Errors assumed

Analysis by D.Casper, UC Irvine

How does this change with matter effects put in?



2-generation matter effects , constant density If mass hierarchy is in the "charged fermion" direction, this will tend to enhance the appearance probability.  $\sin^2 2\theta_{13}$  one can see at  $3\sigma$  will get lower. Also, as L increases, the enhancement factor increases almost enough to account for the  $1/L^2$ But: if the mass hierarchy goes the other way, then you're in this position for antineutrino running. Unfortunately  $\sigma^{\bar{\nu}}/\sigma^{\nu}$  still around 0.5...



Detectors considered can see  $\sin^2 \theta_{13}$  at about 2 to 3%, which is a factor of 4 better than CHOOZ. But for the following assumptions:

- "Standards": 20kton, 5% bkgd uncertainty
- $\Delta m_{23}^2 = 3.0 \times 10^{-3} eV^2$ ,  $\theta_{23} = 45^{\circ}$
- Liquid Argon needs 1/8th the "standard mass"
- Water Cerenkov needs 2.5 times the mass, 1/3 the syst. err

- Otherwise, can measure  $\sin^2 2\theta_{13}$  at  $3\sigma$  if it's a factor of 5 or so past the CHOOZ limit
- What if we get more proton power?
- Systematics must go below 5% –there will be MINOS on-axis near detector, preliminary studies promising (Michal Szleper, Adam Para, hep-ex/0110001)
- Have to reduce  $\nu_e$ 's-maybe through using a lower proton energy, but a faster rep rate...stay tuned...

But at any rate, taking advantage of this beam is important—

matter effects are big enough that if a next generation experiment measured things at the 5 or 6  $\sigma$  level, then comparisons with shorter baselines may determine the sign...